





Contract-based Modeling and Verification of Timed Safety Requirements for System Design in ${\rm SysML}$

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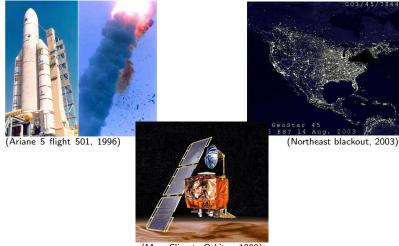
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Safety-critical systems are not always error-free



(Mars Climate Orbiter, 1999)

Challenges in system design

Key factors:

- Consideration and best handling of systems growing size and complexity
- System's correctness with respect to the specified requirements
- Efficiency with reduced effort and costs

---> Compositional component-based design driven by requirements

Offers support for:

- Manageable systems by decomposition
- Incremental design by successive refinement
- Independent implementation of sub-systems (components)
- Sub-systems reusability

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Large, reactive, timed, asynchronous system specifications in UML/SysML:

- Rich graphical semi-formal language
 - \Rightarrow ambiguous or unspecified operational semantics
 - \Rightarrow different interpretations of the design which may result in erroneous implementations
- The correctness of semi-formal designs must be ensured by model-checking
 ⇒ subject to the state space explosion problem

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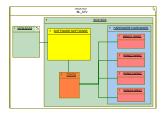
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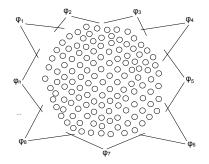




Requirement-driven component-based design dilemma

Let S be a component-based system and $\varphi_1, \cdots, \varphi_n$ a set of requirements. How to achieve correct compositional design when:

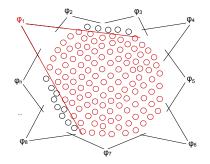
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- a component is involved in the satisfaction of several requirements?



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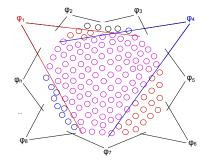
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- a component is involved in the satisfaction of several requirements?



Idea: Abstractly specify how a component is involved in the satisfaction of a requirement φ .

A contract C:

- Is a partial and abstract specification modeling how a component behaves under some assumptions.
- Formally, $\mathcal{C} = (A, G)$ where:
 - the assumption A is an abstract description of the environment (if the component behaves according to G)
 - the *guarantee* G is an abstract description of the component (if the environment behaves according to A).

- Requirement-driven iterative design
- Substitutivity and reuse of components
- Independent implementability

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Provide a compositional design and verification method with contracts for the correct development of systems in SysML with respect to timed safety requirements.

Outline

Context and Problematics

- 2 A Method for Reasoning with Contracts
- 3 Theoretical Contributions
- Practical Contributions
- 5 Conclusion and Perspectives

Outline

Context and Problematics

2 A Method for Reasoning with Contracts

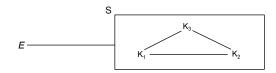
3 Theoretical Contributions

Practical Contributions

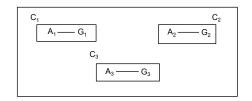
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(S Quinton, S Graf: A framework for contract-based reasoning: Motivation and application. FLACOS 2008)

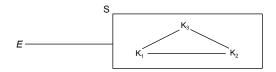
φ



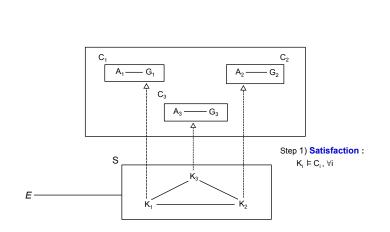
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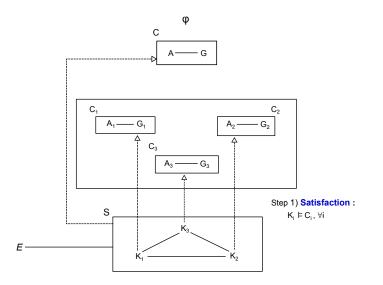
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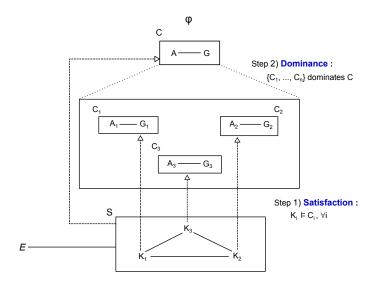


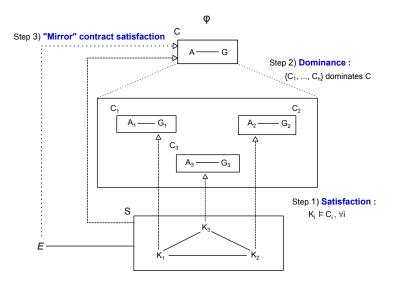
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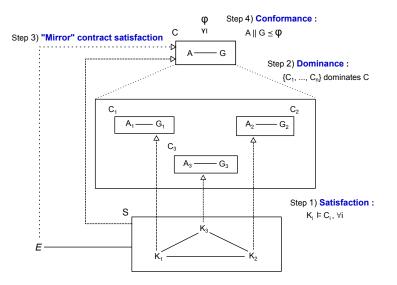


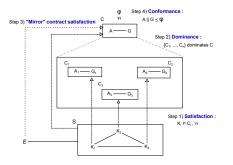
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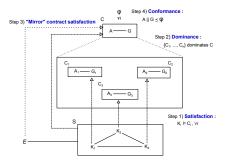
Parameters to be instantiated:

- formal model of components
- conformance relation (\preceq)
- satisfaction relation (\models)

Prerequisites concerning parameters:

- compositionality of \models
- soundness of circular reasoning

- $G_1 \parallel G_2 \parallel G_3 \models (A, G)$ and
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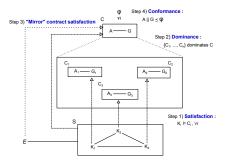
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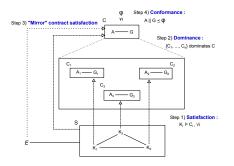
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Contributions

Providing a contract-based theory by instancing the meta-theory defined by S Quinton et al. (2008) for $\rm SysML$ components.

Theoretical contributions:

- ${\small \textcircled{O}}$ Defining the syntax of the contract-related notions in ${\rm SysML}$
- Formalizing the semantics of the SysML component language with a variant of Timed Input/Output Automata
- Oefining a sound contract framework for Timed Input/Output Automata and timed safety properties
- Providing a model-checking method for verifying proof obligations

Contributions

Providing a contract-based theory by instancing the meta-theory defined by S Quinton et al. (2008) for $\rm SysML$ components.

Practical contributions:

- Defining and formalizing with OCL a set of well-formedness rules for ensuring the syntax compliance to the meta-theory (using Topcased^a)
- Implementing the SysML to Timed Input/Output Automata formalization in the IFx2 Toolset^b
- Applying the approach on the ATV SGS industrial-scale system design

Outline

1 Context and Problematics

2 A Method for Reasoning with Contracts

Theoretical Contributions

- Integrating Contracts in SysML
- Modeling Components: a Timed Input/Output Automata Flavour
- A Formal Contract Theory for TIOA
- Automated Verification with Model-Checking
- Evaluation and Related Work

Practical Contributions

Conclusion and Perspectives

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A SysML subset for modeling hierarchical systems

• Structure

- SysML Block Definition Diagrams & Internal Block Diagrams
- Blocks with properties and state machines, interconnection elements and relationships
- Interfaces and signals
- Discrete behavior
 - State machines
 - Asynchronous communication through signals

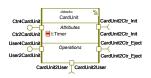
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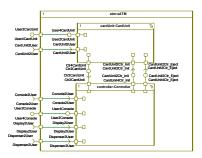
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Real-time and safety properties: the OMEGA profile

• Real time

- Continuous time model
- Clocks specified by the type Timer
 - \Rightarrow allows to model time guards
- Transition urgency (from Timed Automata with urgency)

Observers

- Formalizes a safety property
- Consists of an object monitoring the system's events and gives verdicts about the requirement satisfaction

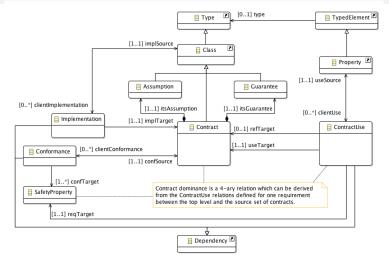
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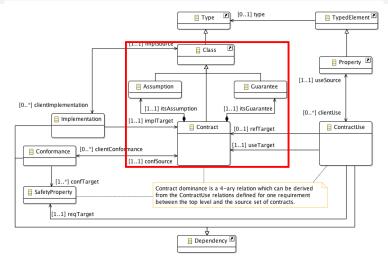




$\mathsf{Extending}\ \mathrm{UML}\ \mathsf{meta-model}$

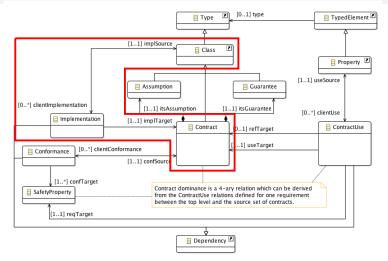


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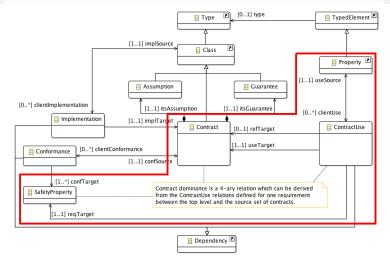
A contract is a closed composite structure formed of one assumption and one guarantee.

$\mathsf{Extending}\ \mathrm{UML}\ \mathsf{meta-model}$



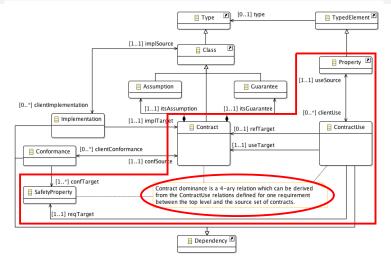
A class implements 0..* contracts. (Ports of G must partially match those of class.)

$\mathsf{Extending}\ \mathrm{UML}\ \mathsf{meta-model}$



A contract is *used* in the context of a *part* of a larger structure. (The part's type must *implement* the contract in this case.)

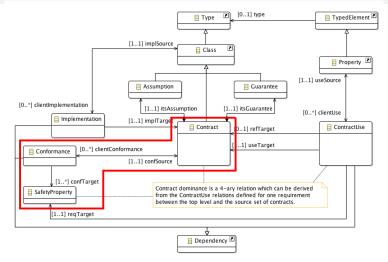
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A set of contracts for the parts of a larger structure can refine (dominate) the contract of the structure.

(Ports of G must partially match those of refining contracts' Gs.)

$\mathsf{Extending}\ \mathrm{UML}\ \mathsf{meta-model}$



A contracts conforms to (satisfies) a safety property.

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Practical Contributions

Conclusion and Perspectives

(a variant of D Kaynar, N Lynch, R Segala, F Vaandrager: *The Theory of Timed I/O Automata*. Morgan&Claypool Publ., 2010)

The semantics of a UML/SysML state machine can be formalized by a *timed input/output automaton*.

Definition

Timed input/output automaton $\mathcal{A} = (X, Clk, Q, \theta, I, O, V, H, D, \mathcal{T}).$

Differences wrt D Kaynar et al. (2010) due to the SysML semantics:

- modeling of visible actions besides inputs, outputs and internals,
- *trajectories* restricted to the linear function with slope 1 for clocks and constant for discrete variables.

- Execution: sequence of trajectories and actions.
- Trace: sequence of time-passage lengths and external actions (from $I \cup O \cup V$).

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TIOA parallel composition

- Composition compatibility: $\mathcal{A}_i \parallel \mathcal{A}_j$ defined iff $X_i \cap X_j = Clk_i \cap Clk_j = O_i \cap O_j = I_i \cap I_j = H_i \cap A_j = V_i \cap A_j = \emptyset$, for $i \neq j$
- Synchronization on common I/O actions, interleaving of other actions
- Difference wrt D Kaynar et al. (2010): an input of A_i synchronized with an output of A_j, i ≠ j, becomes a visible action in A_i || A_j
 ⇒ closer to the semantics of SysML signals
 - \Rightarrow broadcasts are forbidden

Theorem

The parallel composition operator is commutative and associative.

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Conformance relation

Comparable components: $I_i \cup O_i \cup V_i = I_j \cup O_j \cup V_j$, $i \neq j$

Definition

Let K_1 and K_2 be two comparable components. $K_1 \preceq K_2$ if $traces_{K_1} \subseteq traces_{K_2}$.

Theorem

Conformance is a preorder relation.

Theorem (Composability)

Let K_1 and K_2 be two comparable components with $K_1 \preceq K_2$ and E a component compatible with both K_1 and K_2 . Then $K_1 \parallel E \preceq K_2 \parallel E$.

(Straightforward extensions of results from D Kaynar et al. (2010).)

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Mapping SysML to TIOA

- Limited to the identified SysML subset for modeling hierarchical component-based systems
- Similar with related transformations
- An atomic component K_i is a TIOA \mathcal{A}_{K_i}
 - features ~> internal variables
 - two predefined internal variables *location* and *queue* (for asynchronous communication)
 - $\bullet\,$ state machine transitions \rightsquigarrow sets of TIOA transitions
 - triggers → internal actions
 - ...
- A composed component K is the TIOA obtained by applying the parallel composition on the corresponding TIOA components
- An observer O is a TIOA \mathcal{A}_O with only visible actions

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Formal contract

Some terminology :

- Component K: a timed input/output automaton.
- Signature of $K: I \cup O \cup V$.
- Closed component: $I = O = \emptyset$.
- Open component: a component that it is not closed.
- Environment E for K: a timed input/output automaton compatible with K such that $I_E \subseteq O_K$ and $O_E \subseteq I_K$.

Definition

A contract C for a component K is a pair (A, G) of TIOA such that $I_A = O_G$ and $O_A = I_G$ (i.e. the composition is a closed system), and $I_G \subseteq I_K$, $O_G \subseteq O_K$ and $V_G \subseteq V_K$ (i.e. the signature of K is a refinement of that of G).

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A contract C for a component K is a pair (A, G) of TIOA such that $I_A = O_G$ and $O_A = I_G$ (i.e. the composition is a closed system), and $I_G \subseteq I_K$, $O_G \subseteq O_K$ and $V_G \subseteq V_K$ (i.e. the signature of K is a refinement of that of G).

Definition

Let K_1 and K_2 be two components such that $I_{K_2} \subseteq I_{K_1} \cup V_{K_1}$, $O_{K_2} \subseteq O_{K_1} \cup V_{K_1}$ and $V_{K_2} \subseteq V_{K_1}$. Let E be an environment for K_1 compatible with both K_1 and K_2 . We say that K_1 refines K_2 in the context of E, denoted $K_1 \sqsubseteq_E K_2$, if

 $K_1 \parallel E \parallel E' \preceq K_2 \parallel E \parallel K' \parallel E'$

where K' and E' are *chaotic components* defined such that both members of the conformance relation are *comparable* and *closed*.

Definition $K \models \mathcal{C} = (A, G) \Leftrightarrow K \sqsubseteq_A G$

Refinement under context relation

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Properties of refinement under context

Theorem

Given a set \mathcal{K} of comparable components and a fixed environment E for that interface, the refinement under context relation \sqsubseteq_E is a preorder over \mathcal{K} .

Proposition

Let K_1 , K_2 and K_3 be three components not necessarily comparable and E an environment such that $K_1 \sqsubseteq_E K_2$ and $K_2 \sqsubseteq_E K_3$. Then $K_1 \sqsubseteq_E K_3$.

Theorem (Compositionality)

Let K_1 and K_2 be two components and E an environment compatible with both K_1 and K_2 such that $E = E_1 \parallel E_2$. $K_1 \sqsubseteq_{E_1 \parallel E_2} K_2 \Leftrightarrow K_1 \parallel E_1 \sqsubseteq_{E_2} K_2 \parallel E_1$

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Theorem (Circular reasoning)

Let K be a component, E its environment and C = (A, G) the contract for K such that K and G are compatible with each of E and A. If the following conditions hold:

- $traces_G$ is closed under limits
- O $traces_G$ is closed under time-extension
- $\bullet E \sqsubseteq_G A$

then $K \sqsubseteq_E G$.

Follows directly from the correctness of circular reasoning:

Theorem (Sufficient condition for dominance)

 $\{C_i\}_{i=1}^n$ dominates C if, $\forall i$, $traces_{G_i}$ and $traces_G$ are closed under limits and under time-extension and

$$\left(\begin{array}{c} G_1 \parallel \ldots \parallel G_n \sqsubseteq_A G \\ A \parallel G_1 \parallel \ldots \parallel G_{i-1} \parallel G_{i+1} \parallel \ldots \parallel G_n \sqsubseteq_{G_i} A_i, \ \forall i \end{array} \right)$$

(Result presented in S Quiton et al. and adapted to our notation and prerequisites.)

 \Rightarrow lists the proof obligations that need to be discharged when applying the verification methodology

Outline

Context and Problematics

2 A Method for Reasoning with Contracts

Theoretical Contributions

- Integrating Contracts in SysML
- Modeling Components: a Timed Input/Output Automata Flavour
- A Formal Contract Theory for TIOA
- Automated Verification with Model-Checking
- Evaluation and Related Work
- Practical Contributions
- Conclusion and Perspectives

Automated verification of proof obligations

Timed trace inclusion is undecidable.

 \Rightarrow Verify the generated proof obligations by model-checking.

- Transform the deterministic safety property into a timed property automaton (i.e. observer) by negating the formalized property.
- Ocmpute the observer composition ⋈ between the component under study and the timed property automaton.
- (a) Apply reachability analysis for the error state π .

Timed trace inclusion is undecidable.

- \Rightarrow Verify the generated proof obligations by model-checking.
 - Transform the deterministic safety property into a timed property automaton (i.e. observer) by negating the formalized property.
 - Or a compute the observer composition ⋈ between the component under study and the timed property automaton.
 - **③** Apply reachability analysis for the error state π .

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• The component playing the role of the guarantee is a safety property.

- the automaton is non-Zeno
- all internal transitions are eager
- all outputs/visible actions are lazy

 \Rightarrow the execution of an output/visible action cannot be guaranteed ... yet, if an output/visible action is executed, the execution can be performed before or after a deadline

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Related work

Contracts in UML/SysML:

- Provided/required interfaces for typing components: T Weiss et al. (UML 2001), ...
- OCL (pre,post) conditions for operations: M Kriegger et al. (GPCE 2010), P André et al. (IDM 2011, WCSI 2010), E Cariou et al. (ECMFA 2011), ...
- State machine on connectors for describing component compatibility: R Payne et al. (2011)

Formal contract-based theories:

- Specification theories defining quotient, logical conjunction, ...
- Defined for:
 - TIOA (ECDAR): S Bauer et al. (FASE 2012, FACS 2012), A David et al. (STTT 2012), ...
 - timed logical specifications (i.e. sets of traces): C Chilton et al. (FACS 2012, FORMATS 2012, Sci. Comp. Prog. 2014)
- Differences wrt:
 - the modeling of contracts
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- Implementation of the SysML to TIOA Transformation
- The ATV SGS Case Study



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5 Conclusion and Perspectives

OCL formalization of profile's set of well-formedness rules

Well-formedness rules tackling:

- the meta-model's conformance to the meta-theory
- a model's conformance to the meta-model
- signature refinement of contracts for requirement-driven design

 \rightsquigarrow formalized with OCL in order to automatically verify the static typing of a model extended with contracts (with Topcased¹)

- 20 rules
- 480 lines of code

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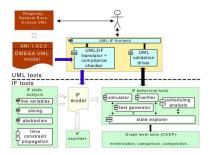
Conclusion and Perspectives

Implementation in the IFx2 toolset²

Goal: Early model validation and debugging

Functionalities:

- Simulation
- Static analysis: dead code/variable elimination, ...
- Model-checking: observers, state graph minimization, ...



Implementation details:

- Proprietary compiler which takes as input an (OMEGA) SysML model (in XMI 2.0 format) and produces the TIOA model (in the IF language)
- Adapted for IBM Rhapsody and Papyrus
- Several compiling options available: uml/sysml, rhapsody/papyrus, rhplang, eager, ...
- Used technologies: Java, Eclipse UML 2.3, Eclipse EMF
- ullet \sim 13000 lines of code

²www.irit.fr/ifx/

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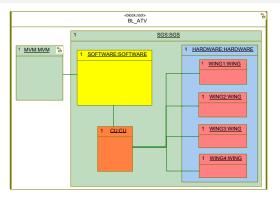
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The Solar Generation System (SGS)

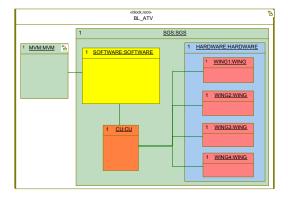


Reverse engineered from the actual system by Airbus Defence and Space:

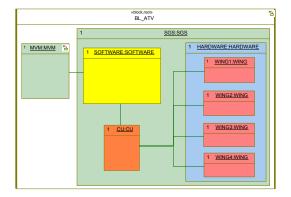
- 4-level architecture, 20 blocks and 95 block instances
- 661 port and 504 connector instances
- 1-fault tolerant
- 62 possible hardware failures

Requirement φ : At the end of the deployment sequence, all 4 WINGs are deployed.

Formalizing the requirement



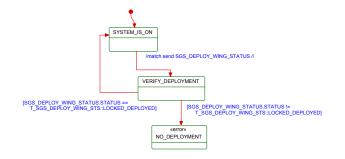
Formalizing the requirement





Formalizing the requirement

Behavior of Property (φ)

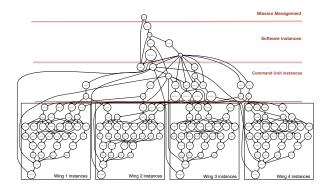


Preliminary V&V

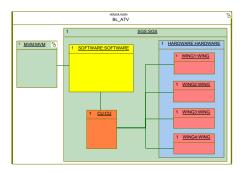
- Simulation
 - Scenario length: 2400 steps and one minute execution
 - Discovered modeling errors: unexpected message receptions
- Model-checking
 - Subject to the combinatorial state space explosion problem

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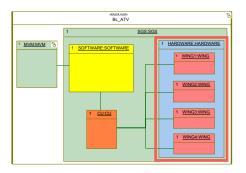
Applying contract-based reasoning



 φ : At the end of the deployment sequence, all 4 WINGs are deployed.

- The system S is given by HARDWARE which contains the WINGs.
- The environment E is given by MVM || SOFTWARE || CU.

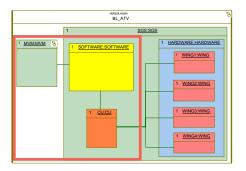
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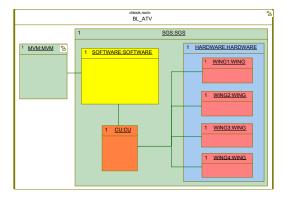
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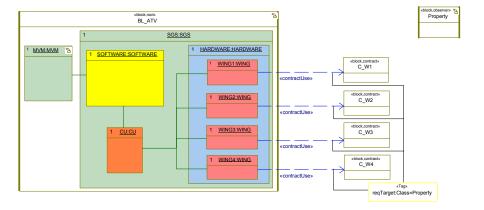
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Modeling contract satisfaction

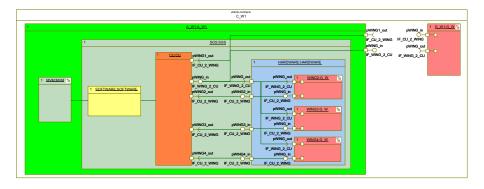




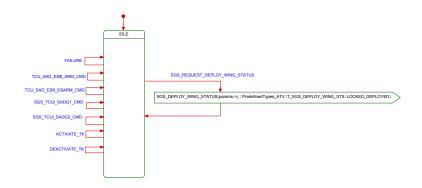
Modeling contract satisfaction



Contract architecture



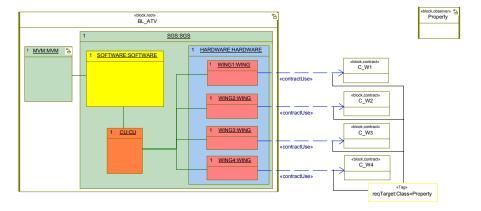
Behavior of the guarantee

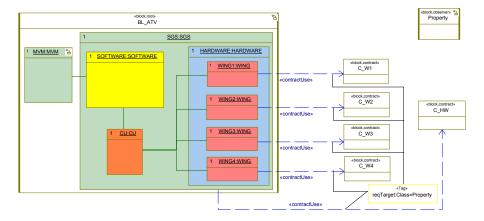


Contract satisfaction

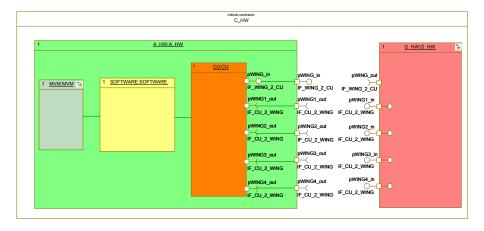
Generated proof obligations

- $WING1 \sqsubseteq_{MVM || SOFTWARE || CU || WING2 || WING3 || WING4} G_W1$ where WINGi, $i \in 2..4$, is of type G_W
- $WING2 \sqsubseteq_{MVM} || SOFTWARE || CU || WING1 || WING3 || WING4 G_W2$
- $WING3 \sqsubseteq_{MVM || SOFTWARE || CU || WING1 || WING2 || WING4} G_W3$
- $WING4 \sqsubseteq_{MVM \parallel SOFTWARE \parallel CU \parallel WING1 \parallel WING2 \parallel WING3} G_{-}W4$

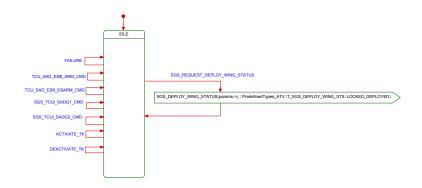




Contract architecture

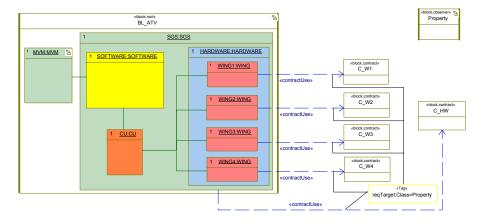


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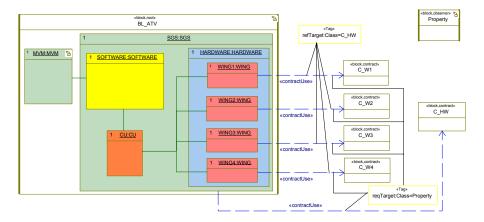
Dominance

Modeling dominance



Dominance

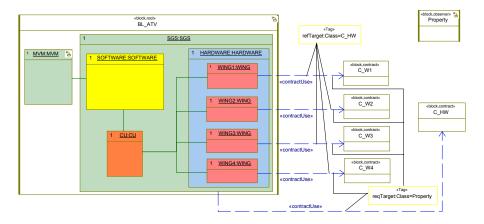
Modeling dominance



Generated proof obligations

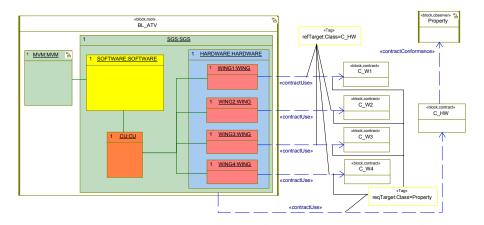
- **②** (*MVM* || *SOFTWARE* || *CU*) || G_-W2 || G_-W3 || G_-W4 \sqsubseteq_{G_-W1} *MVM* || *SOFTWARE* || *CU* || G_-W2 || G_-W3 || G_-W4
- $(MVM \parallel SOFTWARE \parallel CU) \parallel G_W1 \parallel G_W3 \parallel G_W4 \sqsubseteq_{G_W2}$ $MVM \parallel SOFTWARE \parallel CU \parallel G_W1 \parallel G_W3 \parallel G_W4$
- ($MVM \parallel SOFTWARE \parallel CU$) $\parallel G_{-}W1 \parallel G_{-}W2 \parallel G_{-}W4 \sqsubseteq_{G_{-}W3}$ $MVM \parallel SOFTWARE \parallel CU \parallel G_{-}W1 \parallel G_{-}W2 \parallel G_{-}W4$
- $(MVM \parallel SOFTWARE \parallel CU) \parallel G_W1 \parallel G_W2 \parallel G_W3 \sqsubseteq_{G_W4}$ $MVM \parallel SOFTWARE \parallel CU \parallel G_W1 \parallel G_W2 \parallel G_W3$

Top "mirror" contract satisfaction



 $\Rightarrow \text{ generates the following proof obligation:} \\ MVM \parallel SOFTWARE \parallel CU \sqsubseteq_{G_{.}HW} MVM \parallel SOFTWARE \parallel CU$

Conformance



 \Rightarrow generates the following proof obligation: $MVM \parallel SOFTWARE \parallel CU \parallel G_HW \preceq Property$

Verification results

Ontract satisfaction:

- detected error: deployment deactivation in case of failure of disabled components
- after correction:

	Average verification time (s)				
Type of induced failure	Wing 1	Wing 2	Wing 3	Wing 4	
Thermal knife	13993	6869	18842	11412	
Hold-down and release system	12672	6516	16578	9980	
Solar array driving group	11527	5432	13548	6807	

2 Dominance:

- for G_HW : < 1 second
- for assumptions: trivial
- O Top "mirror" contract satisfaction: trivial
- O Conformance < 1 second

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1 Context and Problematics

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- **5** Conclusion and Perspectives

Overview

Behavioral contract framework for the compositional design and verification of system models in $\rm UML/SysML$ with respect to timed safety requirements

Features of the developed approach:

- scalability in order to tackle the design and verification of very large systems,
- reusability for both contracts and components.

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- Automated model-checking for verification of contract satisfaction and deterministic safety properties
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Conclusion

Publications

- 1. I Dragomir, I Ober, C Percebois: Safety Contracts for Timed Reactive Components in SysML. SOFSEM 2014
- I Dragomir, I Ober, C Percebois: Integrating Verifiable Assume/Guarantee Contracts in UML/SysML. ACES-MB 2013
- 3. I Dragomir, I Ober, C Percebois: Safety contracts for reactive timed systems (extended abstract). GDR GPL 2013
- 4. I Dragomir, I Ober, D Lesens: A Case Study in Formal System Engineering with SysML. ICECCS 2012
- 5. E Conquet, F-X Dormoy, I Dragomir, S Graf, D Lesens, P Nienaltowski, I Ober: Formal Model Driven Engineering for Space Onboard Software. ERTS2 2012
- 6. II Ober, Iu Ober, I Dragomir, E A Aboussoror: UML/SysML semantic tunings. ISSE 2011
- E Conquet, F-X Dormoy, I Dragomir, A Le Guennec, D Lesens, P Nienaltowski, I Ober: Modèles système, modèles logiciel et modèles de code dans les applications spatiales. Génie logiciel 2011
- 8. I Ober, I Dragomir: Unambiguous UML composite structures: the OMEGA2 experience. SOFSEM 2011
- 9. I Dragomir, I Ober: Well-formedness and typing rules for UML Composite Structures. CoRR 2010
- 10. I Ober, I Dragomir: *OMEGA2: A new version of the profile and the tools.* UML&AADL 2010

Perspectives

Short-term perspectives:

- Extend the contract framework in order to encompass other types of requirements, i.e. progress, etc.
- Automate all the verification steps, provide automate assistance for building the proof tree

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Perspectives

Short-term perspectives:

- Extend the contract framework in order to encompass other types of requirements, i.e. progress, etc.
- Automate all the verification steps, provide automate assistance for building the proof tree

Long-term perspectives:

- Provide methods or methodological guidelines for deriving intermediate contracts from the properties one is trying to prove
- Automatically generate assumptions and guarantees
- Perform error diagnostics on contracts both locally and globally in the proof tree and bridge the gap to the semi-formal model

Thank you!